



# Grid Shaping Control for High-IBR Power Systems

Enrique Mallada, Johns Hopkins

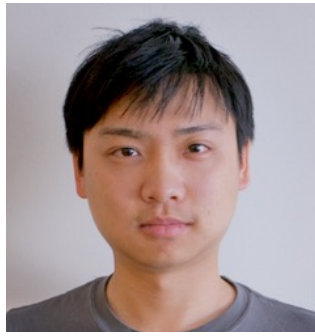
Panel on *Future electricity systems: How to handle millions of power electronic-based devices and other emerging technologies*

# Acknowledgements

## Students



Yan Jiang



Hancheng Min



Eliza Cohn



## Collaborators



Petr Vorobev



Skolkovo Institute of Science and Technology



Richard Pates



LUND UNIVERSITY



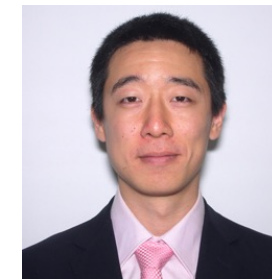
Fernando Paganini



Dominic Groß



Bala K. Poolla

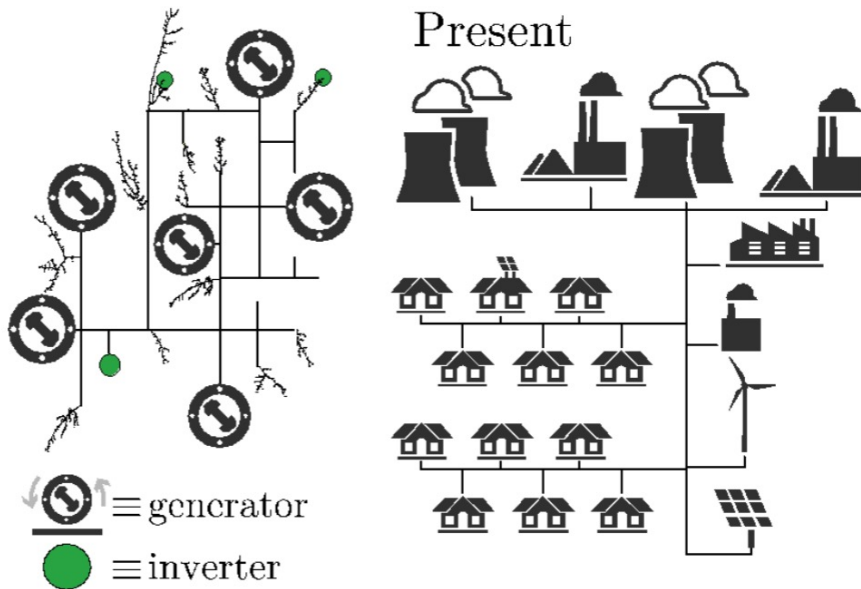


Yashen Lin



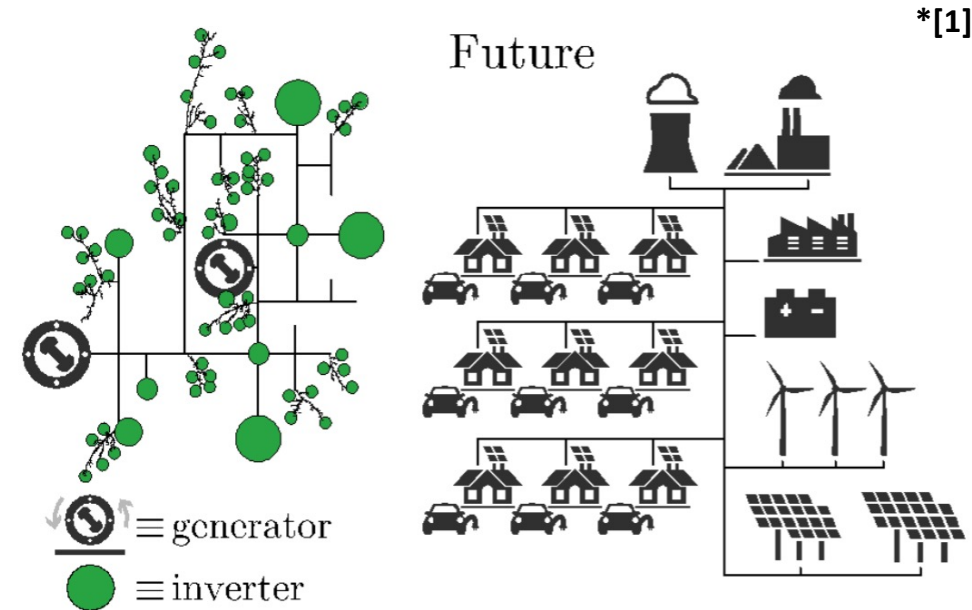
Andrey Bernstein

# The Future Grid



## Present grid

- dispatchable generation
- high inertial response
- strong voltage support
- well known physics

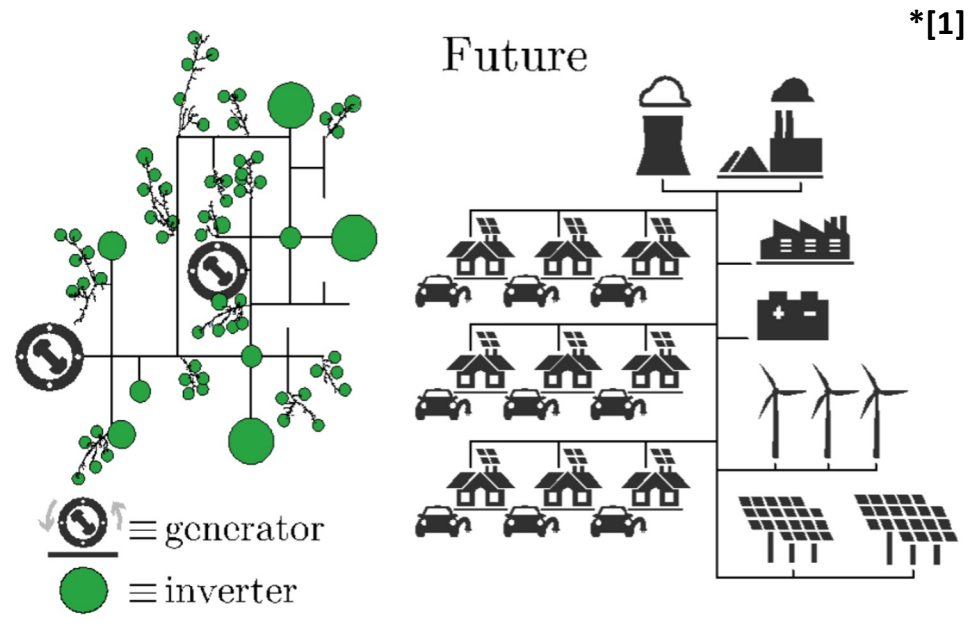


## Future

- variable and distributed generation
- limited inertia levels
- weak voltage support
- proprietary control laws (black box)

\*[1]

# The Future Grid



## Future

- variable and distributed generation
- limited inertia levels
- weak voltage support
- proprietary control laws (black box)

## Selected challenges

- increased system **uncertainty**
- **sensitivity** to disturbances
- new forms of **instabilities**, induced by inverter-based resources
- need to compensate for the limited number of SGs remaining

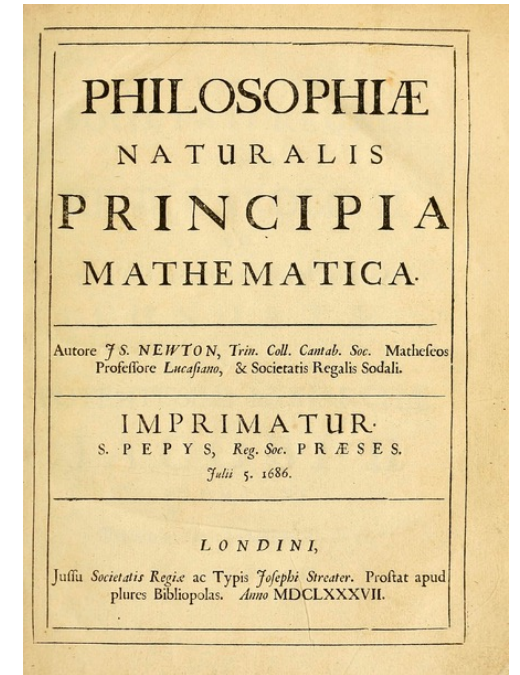
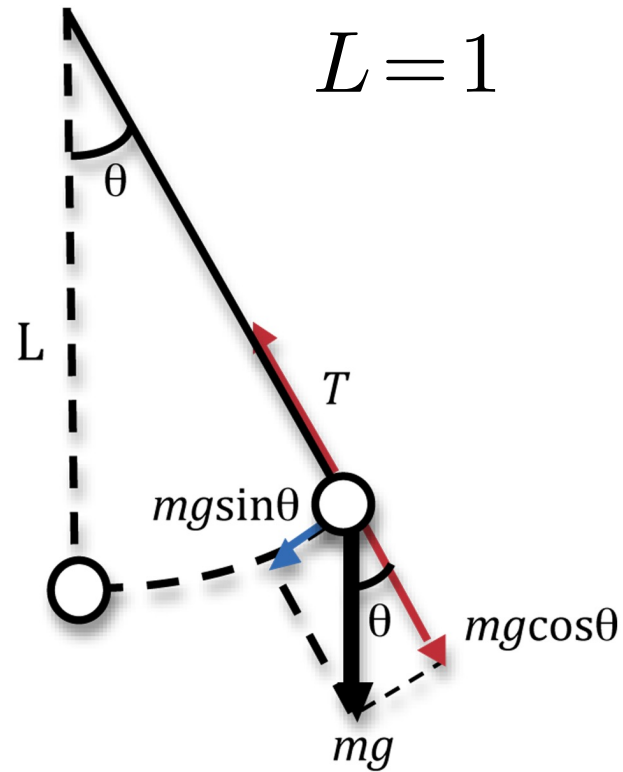
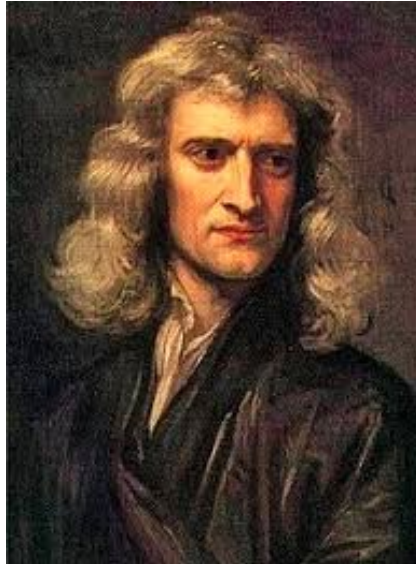
## Research questions:

- How should we control a grid with limited inertial/voltage support?
- Should we try to mimic SGs response? Or find new and more efficient control paradigms, suitable for IBRs?

# Outline

- Merits and trade-offs of low inertia
  - Control Perspective: Lighter systems are easier to control!
- Analysis of IBR-rich Coherent Networks
  - Generalized Center of Inertia captures IBR dynamics
- Grid Shaping Control
  - Grid-following/forming control framework for future grids

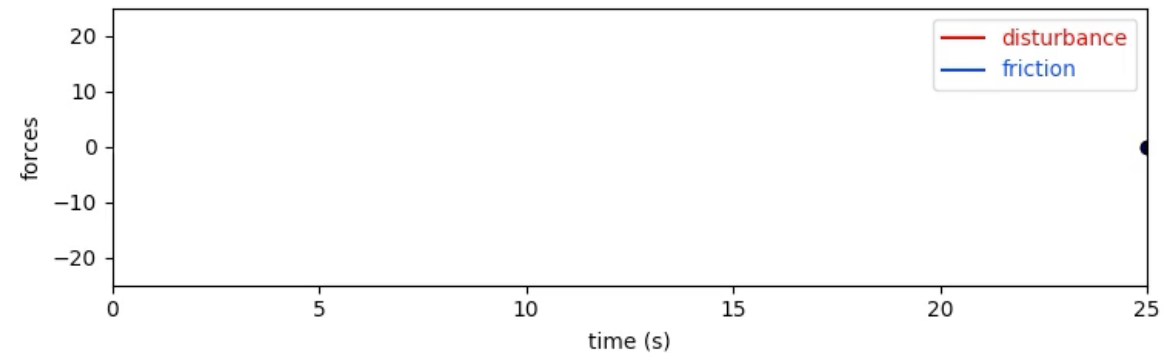
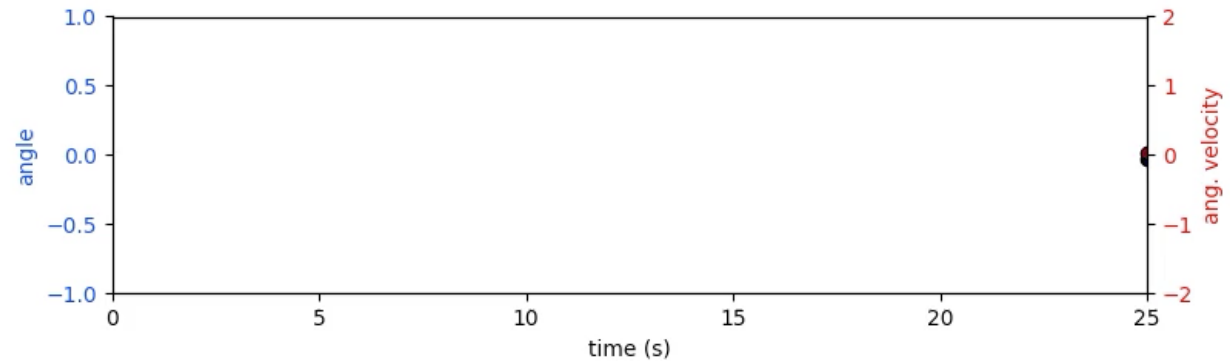
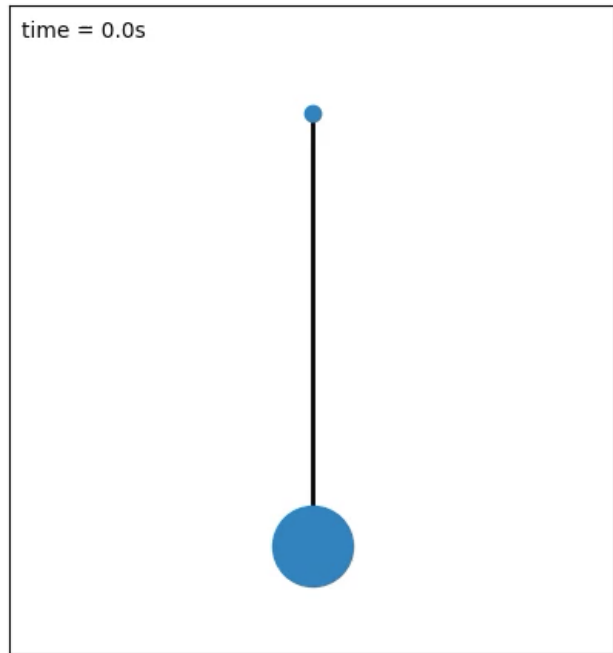
# Merits and Trade-offs of Inertia



$$\ddot{\theta} = -\frac{d}{m}\dot{\theta} - g \sin \theta + \frac{f}{m}$$

# Merits and Trade-offs of Inertia

$$\ddot{\theta} = -\frac{d}{m}\dot{\theta} - g \sin \theta + \frac{f}{m}$$

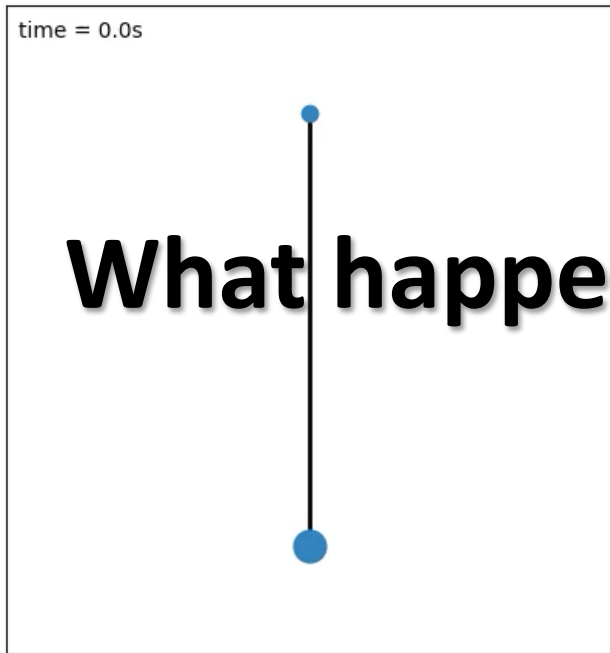


**Pros:** Provides natural disturbance rejection

**Cons:** Hard to regain steady-state

# Merits and Trade-offs of **Low** Inertia

$$\ddot{\theta} = -\frac{d}{m}\dot{\theta} - g \sin \theta + \frac{f}{m}$$



What happens when one adds **control**?



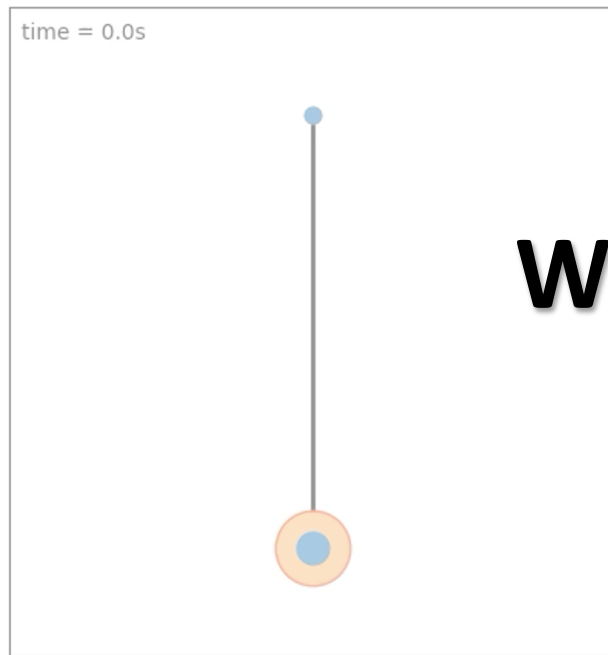
**Cons:** Susceptible to disturbances

**Pros:** Regains steady-state faster

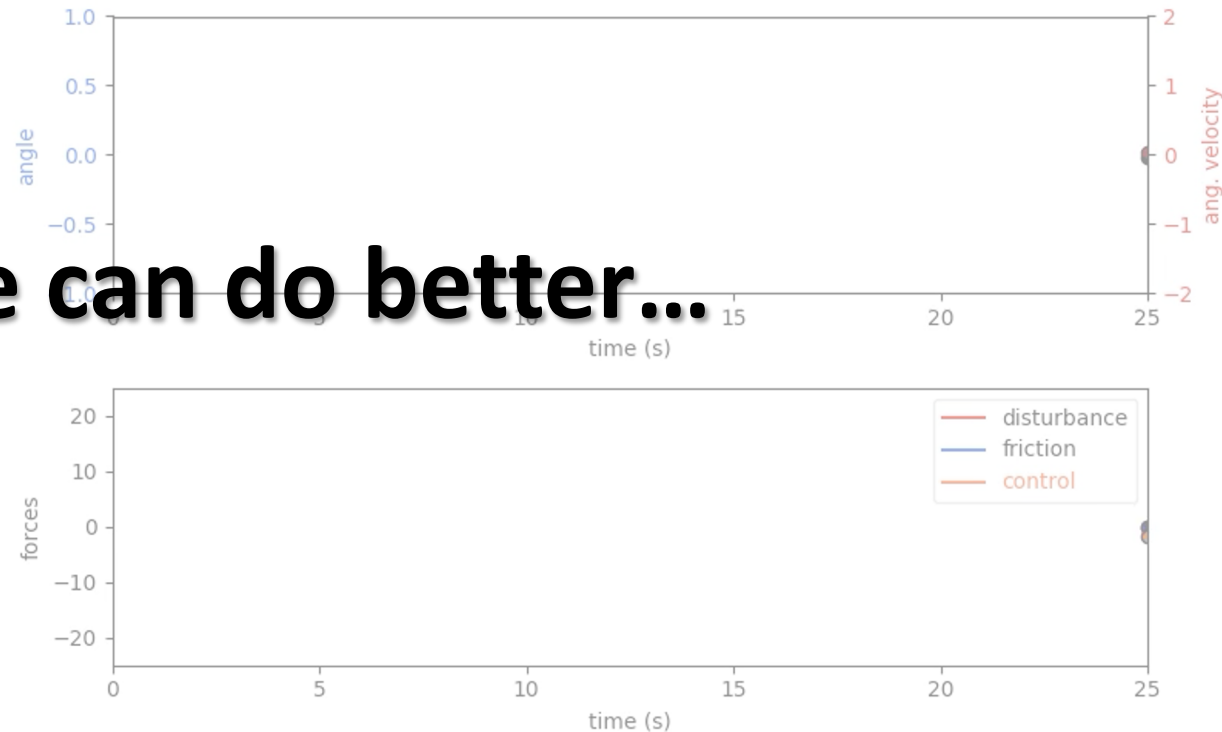


# Control of **Low** Inertia Pendulum

Virtual **Mass** Control:  $m\ddot{\theta} = -d\dot{\theta} - mg \sin \theta + f - \nu\ddot{\theta}$



**We can do better...**



- |  |   |
|--|---|
| <p><b>Pros:</b><br/>Provides disturbance rejection</p> | <p><b>Cons:</b><br/>Hard to regain steady-state + <b>excessive control effort</b></p> |
|--|---|

# Control of **Low** Inertia Pendulum

**Dynamic Droop:**

$$m\ddot{\theta} = -d\dot{\theta} - mg \sin \theta + f + x$$

$$\tau' \dot{x} = -x - (r_r^{-1} \dot{\theta} + \tau' \nu' \ddot{\theta})$$



Yan Jiang



Richard Pates

3518
IEEE TRANSACTIONS ON AUTOMATIC CONTROL, VOL. 66, NO. 8, AUGUST 2021

## Dynamic Droop Control in Low-Inertia Power Systems

Yan Jiang , Richard Pates , and Enrique Mallada , *Senior Member, IEEE*

- ### Dynamic Droop Benefits

  - Overshoot Elimination in Nadir**
  - Disturbance Rejection**
  - Noise Attenuation**
  - Reduce Inter-area Oscillations**

# Outline

- Merits and trade-offs of low inertia
  - Control Perspective: Lighter systems are easier to control!
- Analysis of IBR-rich Coherent Networks
  - Generalized Center of Inertia captures IBR dynamics
- Grid Shaping Control
  - Grid-following/forming control framework for future grids

# Coherence in Power Systems

## Studied since the 70s

- Podmore, Price, Chow, Kokotovic, Verghese, Pai, Schweppe,...

## Enables aggregation/model reduction

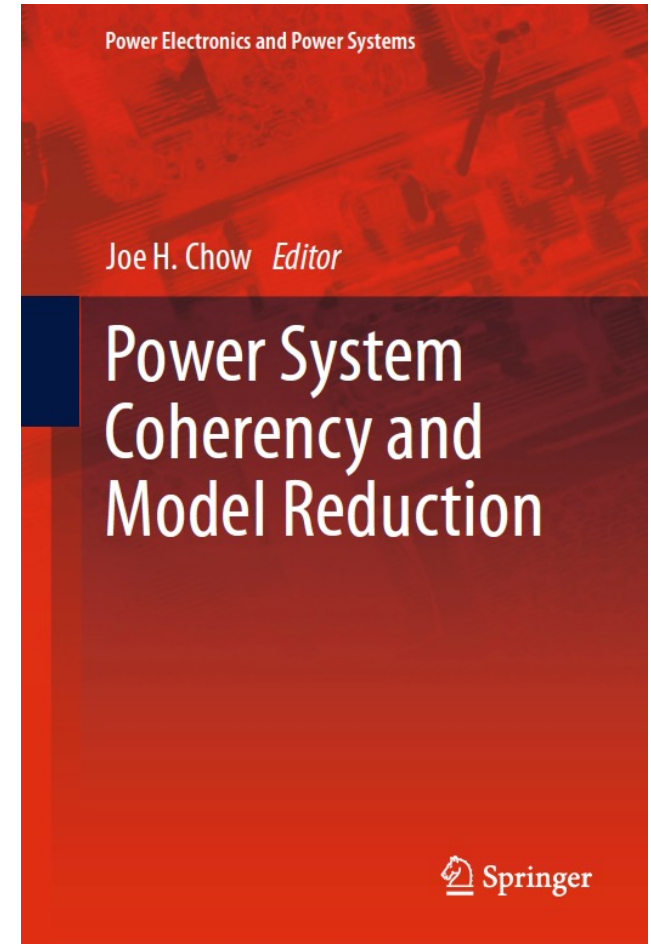
- Speed up transient stability analysis

## Many important questions

- How to identify coherent modes?
- How to accurately reduce them?
- What is the cause?

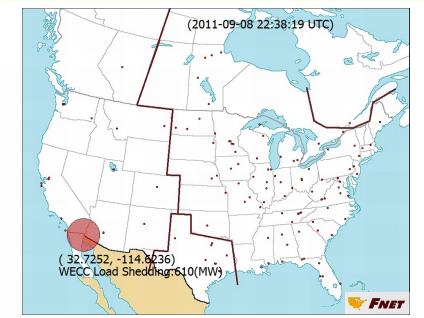
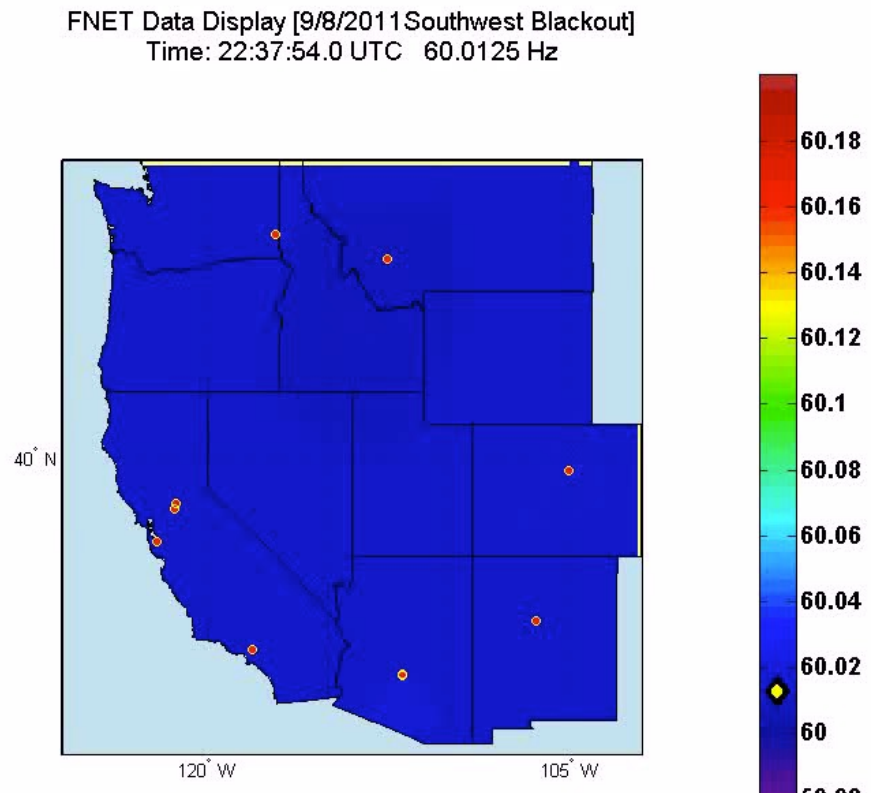
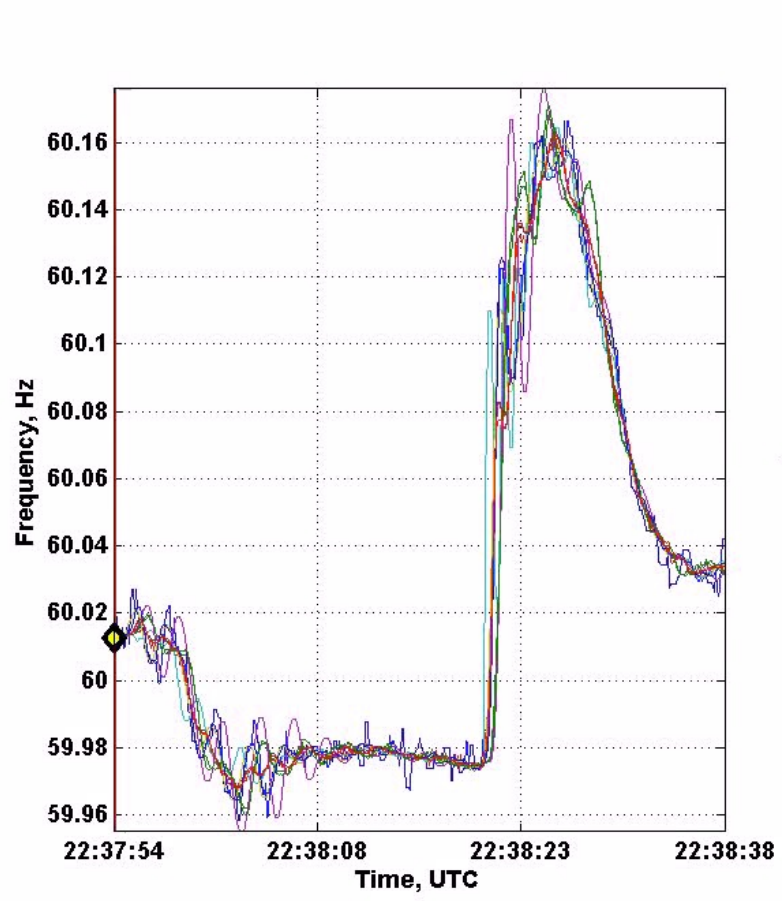
## Many approaches

- Timescale separations (Chow, Kokotovic,)
- Krylov subspaces (Chaniotis, Pai '01)
- Balanced truncation (Liu et al '09)
- Selective Modal Analysis (Perez-Arriaga, Verghese, Schweppe '82)



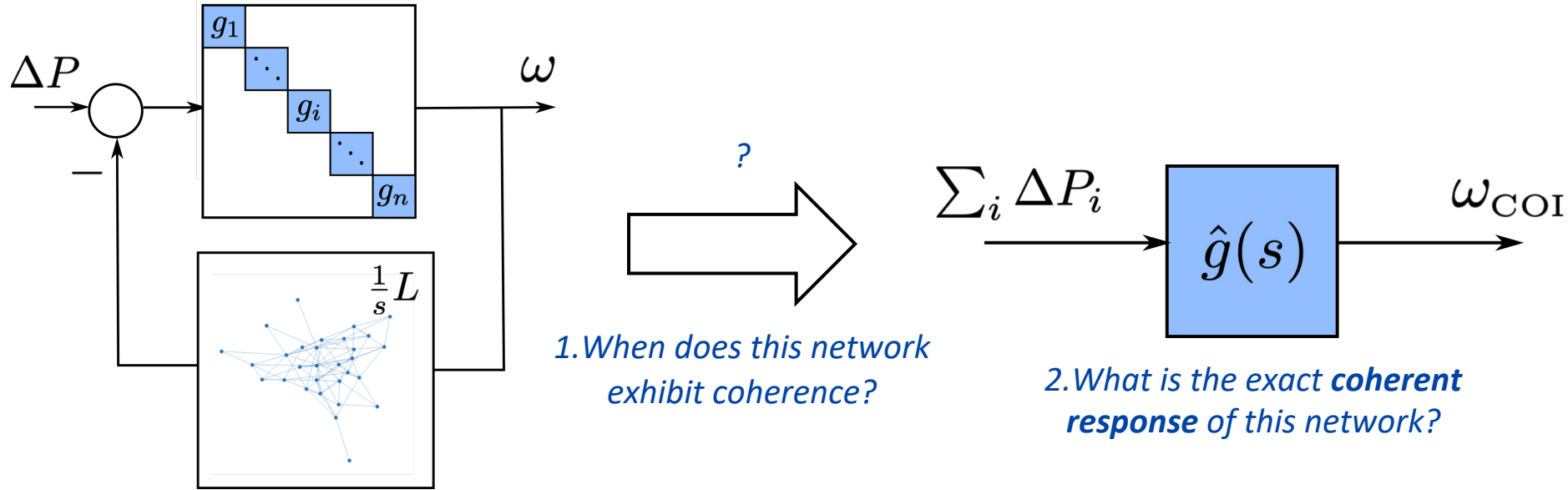
**Question: What is the role of IBRs in determining the coherent response?**

# Coherence in Power Systems



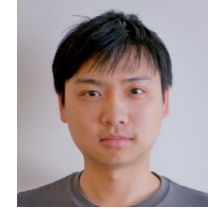
**System response:** Is affected by SG dynamics, network, disturbances,...

# Analysis of Coherent Dynamics [CDC 19, ArXiv 23]



1. When does this network exhibit coherence?

2. What is the exact **coherent response** of this network?



Hancheng Min



Richard Pates

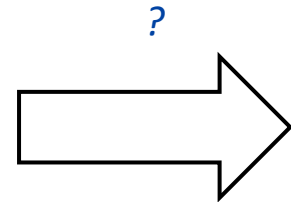
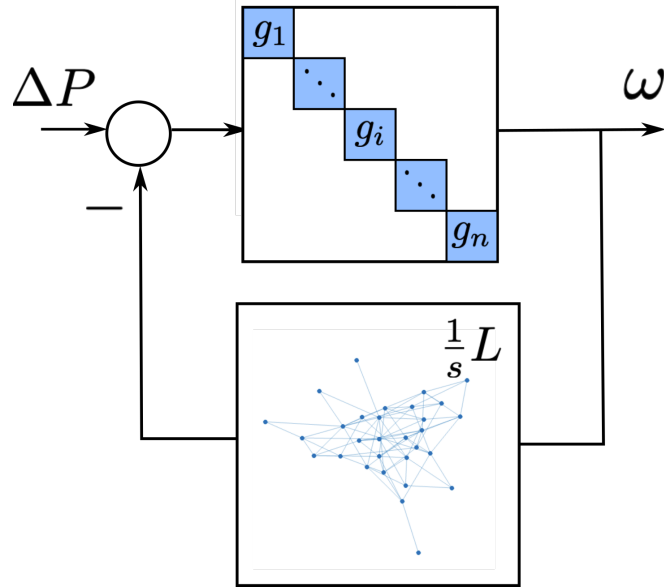
## Problem Setup:

- Linearized power flows  $L_{ij}$
- Bus  $i$ : arbitrary siso tf:  
 $\omega_i = g_i(s) \Delta P_i$  (SGs or IBRs)

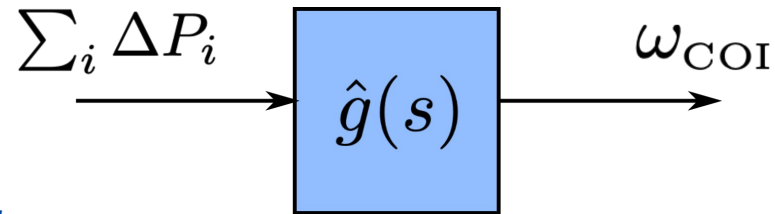
[CDC 19] Min, M. Dynamics concentration of large-scale tightly-connected networks. **CDC 2019**

[ArXiv 23] Min, Pates, M. A frequency domain analysis of slow coherency in networked systems. arXiv:2302.08438, **2023, submitted**

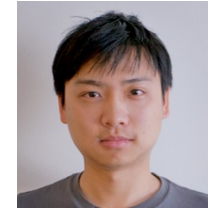
# Analysis of Coherent Dynamics [CDC 19, ArXiv 23]



1. When does this network exhibit coherence?



2. What is the exact **coherent response** of this network?



Hancheng Min Richard Pates



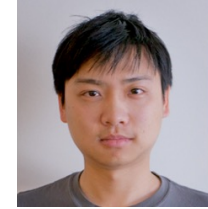
1. Coherence can be understood as a **low rank** property the **closed-loop transfer matrix**
2. It emerges as the **effective algebraic connectivity**  $\left| \frac{1}{s_0} \lambda_2 \right|$  increases
3. The coherent dynamics is given by the **harmonic sum** of bus dynamics

$$\hat{g}(s) = \left( \sum_{i=1}^n g_i^{-1}(s) \right)^{-1}$$

[CDC 19] Min, M. Dynamics concentration of large-scale tightly-connected networks. **CDC 2019**

[ArXiv 23] Min, Pates, M. A frequency domain analysis of slow coherency in networked systems. arXiv:2302.08438, **2023, submitted**

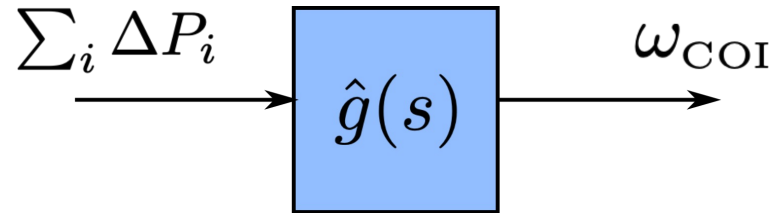
# Generalized Center of Inertia [CDC 19, ArXiv 23]



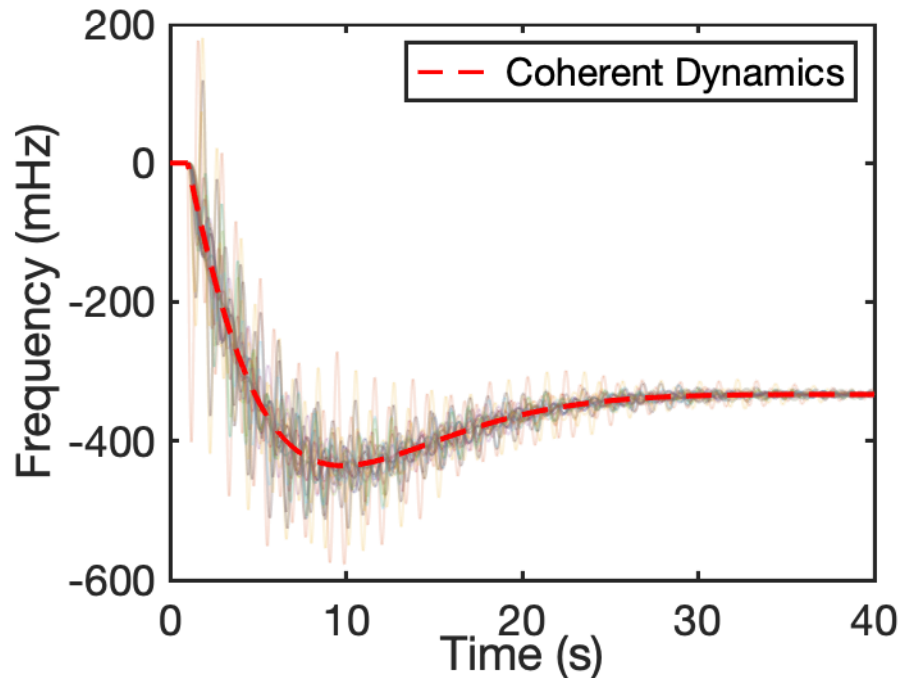
Hancheng Min



Richard Pates



$$\hat{g}(s) = \left( \sum_{i=1}^n g_i^{-1}(s) \right)^{-1}$$



## Coherent Dynamics: $\hat{g}(s)$

- Representation of aggregate response
- Accuracy of approximation:
  - is frequency dependent
  - increases with network connectivity
- Provides excellent template for reduced order models (via balance-truncations)
- More details [LCSS 20]

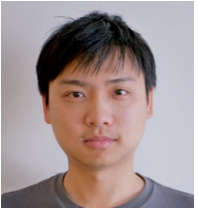
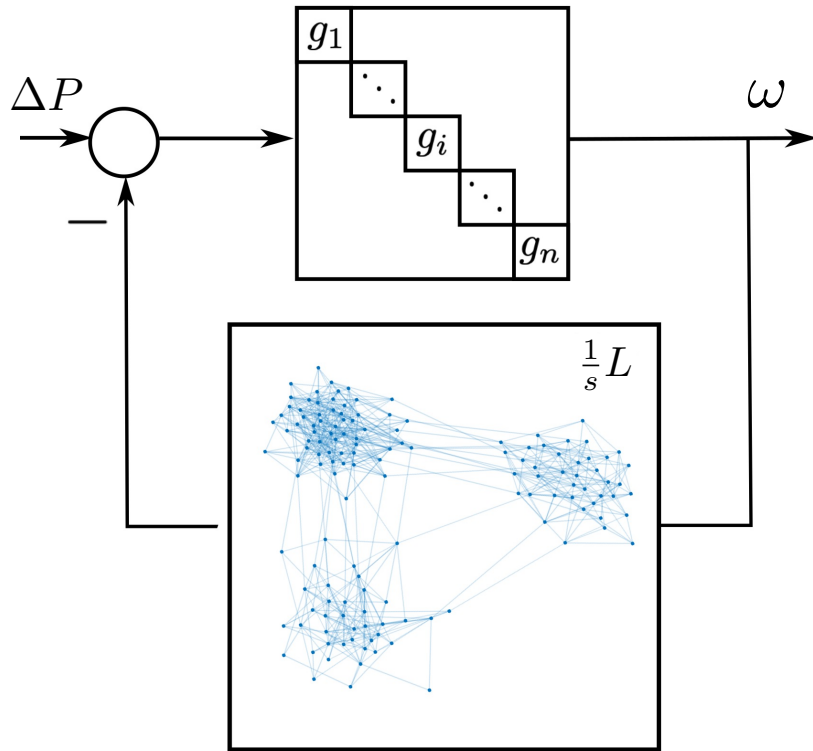
[CDC 19] Min, M. Dynamics concentration of large-scale tightly-connected networks. **CDC 2019**

[ArXiv 23] Min, Pates, M. A frequency domain analysis of slow coherency in networked systems. arXiv:2302.08438, **2023, submitted**

[LCSS 20] Min, Paganini, M. Accurate reduced-order models for heterogeneous coherent generators. **IEEE LCSS 2020**

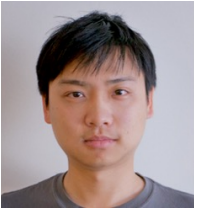
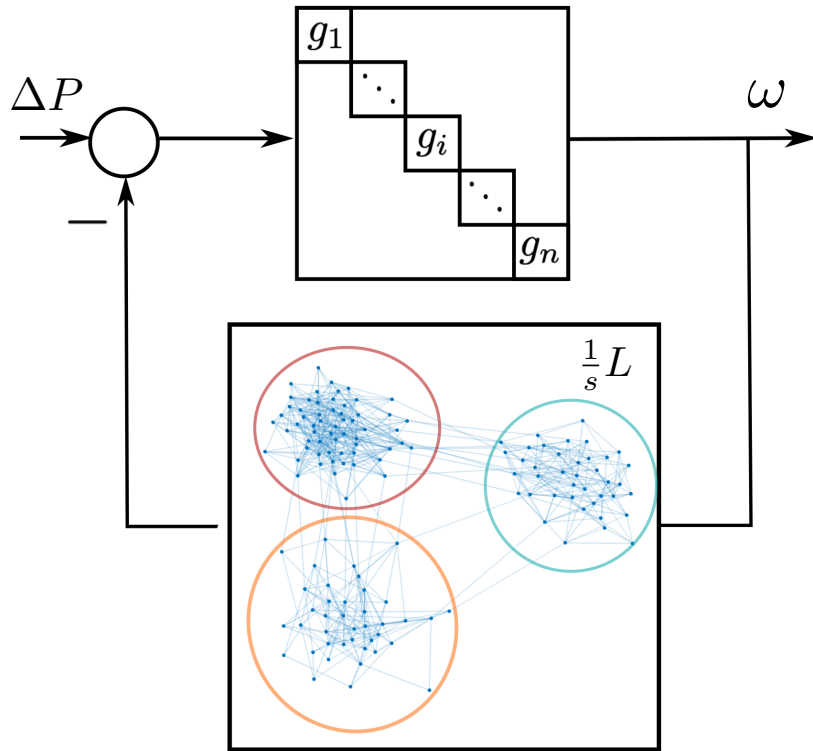


# Weakly-Connected Coherent Networks [L4DC 23]



Hancheng Min

# Weakly-Connected Coherent Networks [L4DC 23]

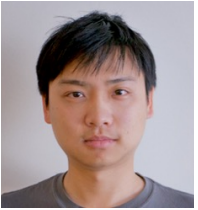
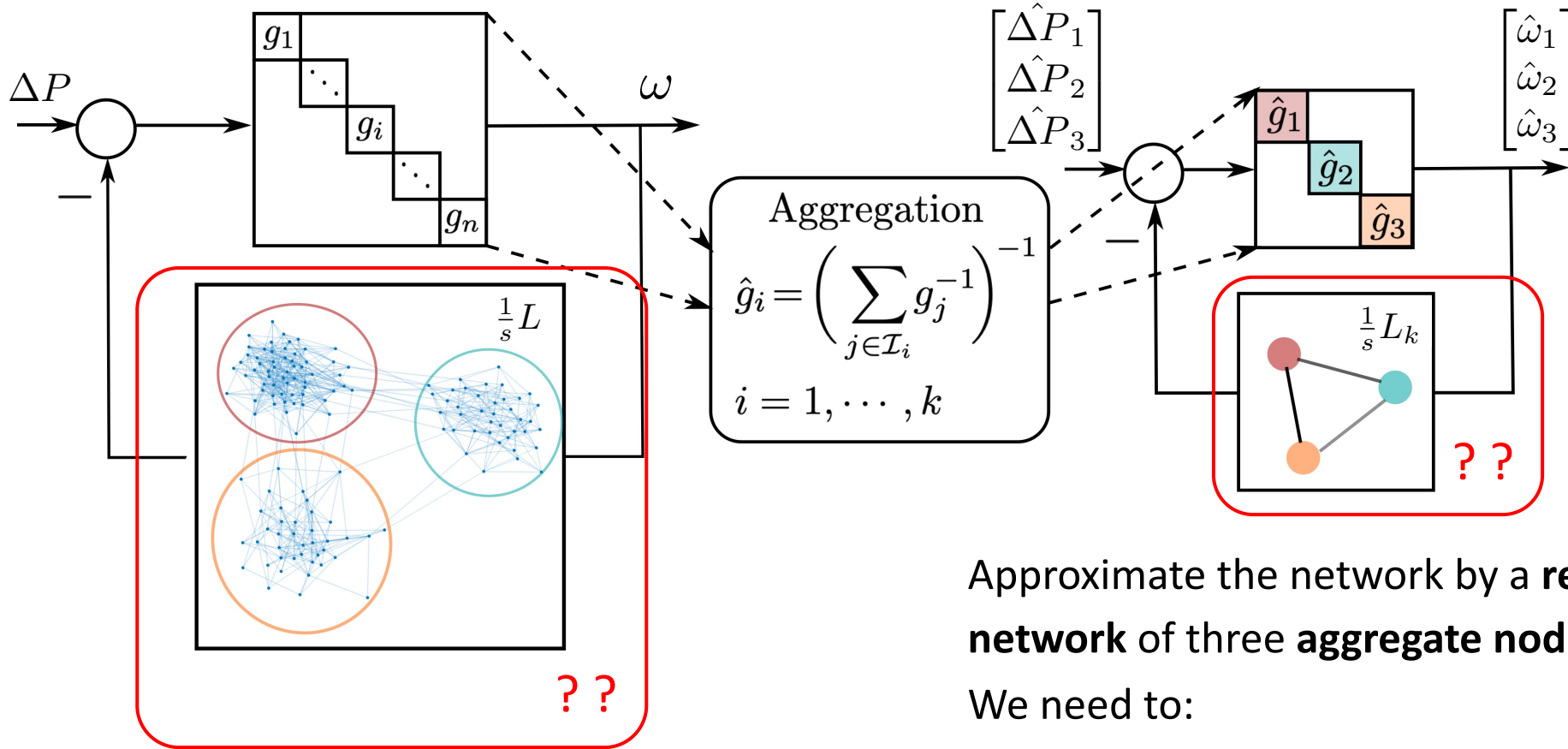


Hancheng Min

Three coherent groups:

- High intra-group connectivity
- Low inter-group connectivity

# Weakly-Connected Coherent Networks [L4DC 23]



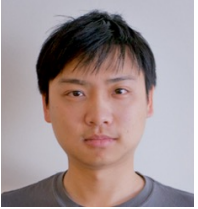
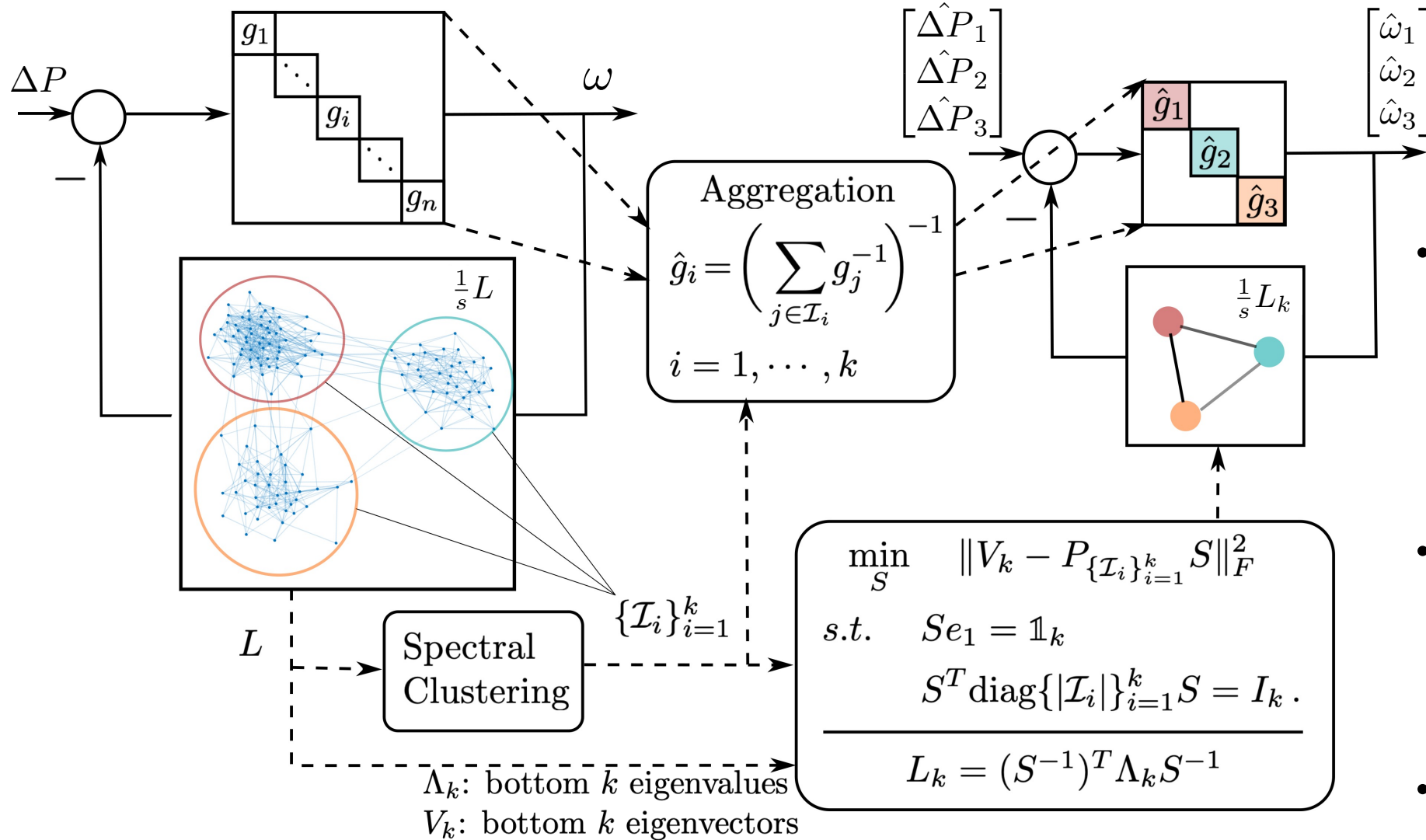
Hancheng Min

Approximate the network by a **reduced network** of three **aggregate nodes**

We need to:

- **Identify** the coherent groups
- Find the right **interconnection** for the reduced network

# Weakly-Connected Coherent Networks [L4DC 23]



Hancheng Min

- **Spectral clustering** on graph Laplacian identifies coherent groups
- **Spectral embedding refinement** finds the interconnection
- **Structure-preserving model reduction**

# Outline

- Merits and trade-offs of low inertia
  - Control Perspective: Lighter systems are easier to control!
- Analysis of IBR-rich Coherent Networks
  - Generalized Center of Inertia captures IBR dynamics
- Grid Shaping Control
  - Grid-following/forming control framework for future grids

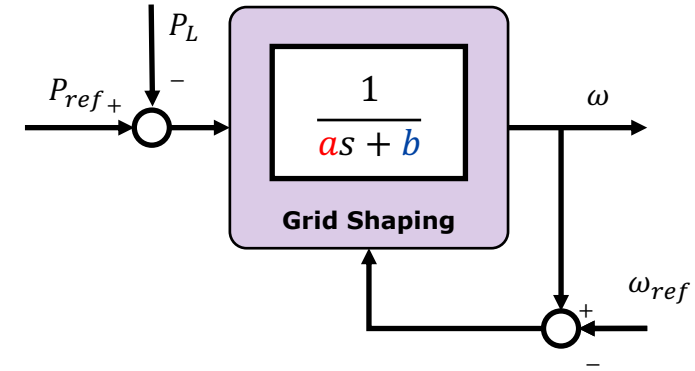
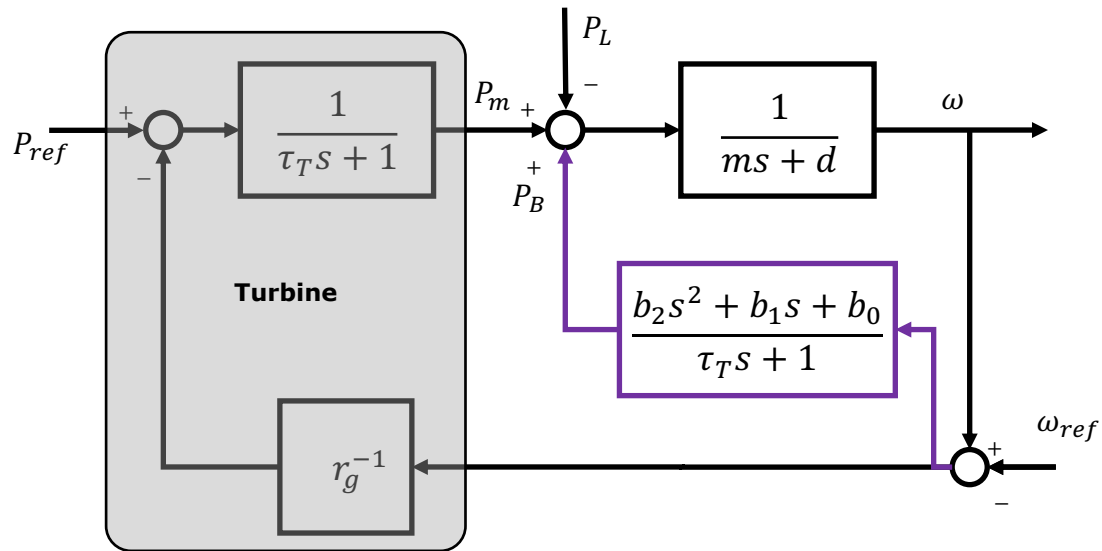
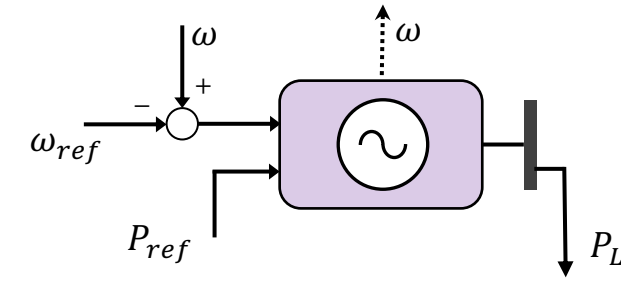
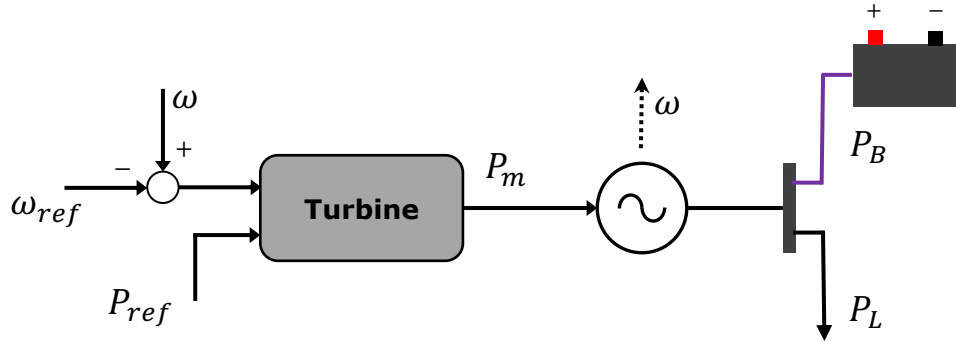
# Grid Shaping Control

Use model matching control to shape SGs response

Grid-following IBRs

Grid-forming IBRs

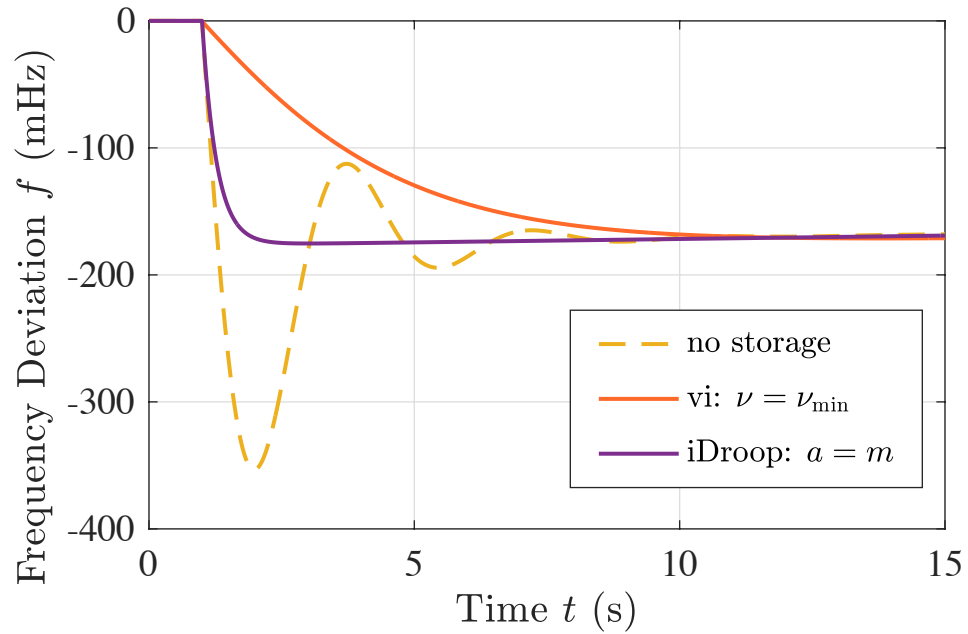
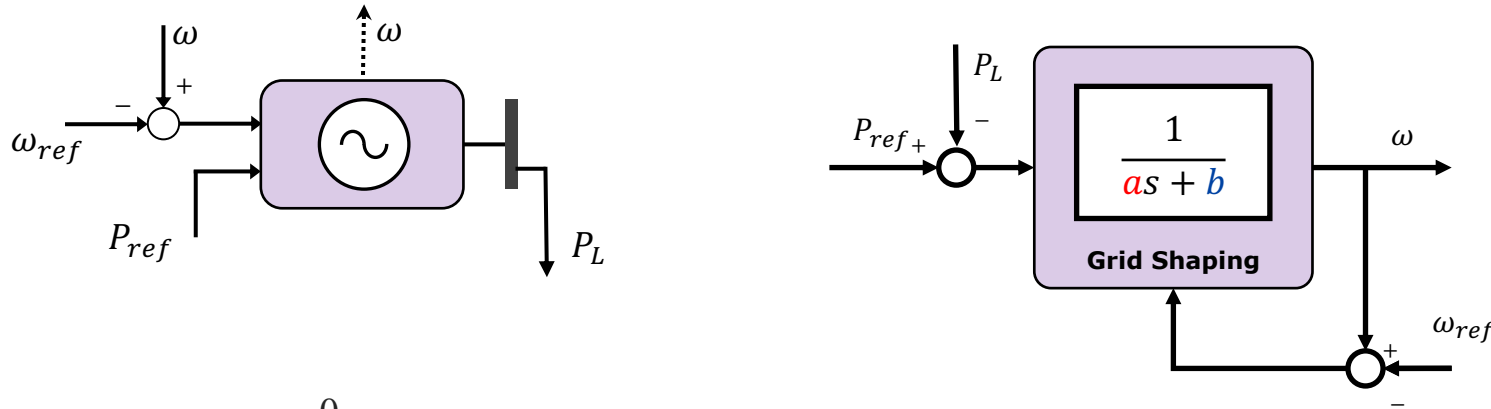
# Grid-shaping with GFL IBRs [TPS 21]



**Tunable Performance:**

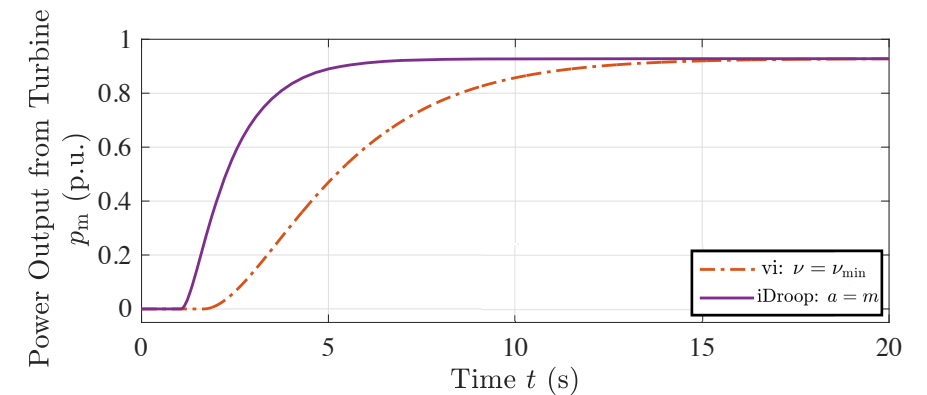
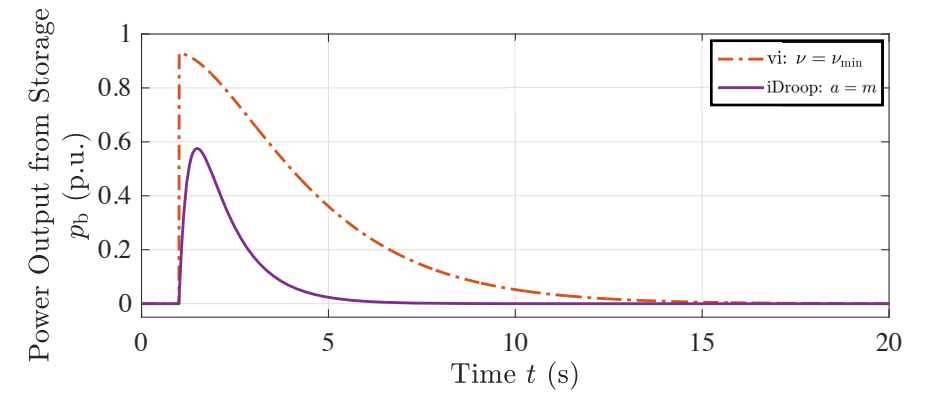
$$\text{RoCoF} = \frac{1}{a} \Delta P, \quad \Delta \omega = \frac{1}{b} \Delta P$$

# Grid-shaping with GFL IBRs [TPS 21]



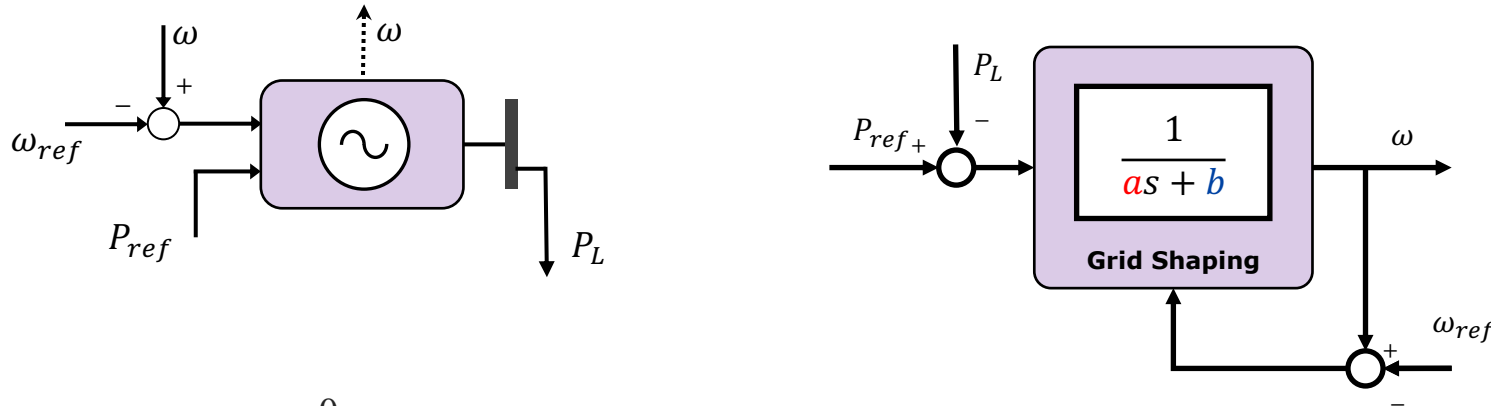
**Tunable Performance:**

$$\text{RoCoF} = \frac{1}{a} \Delta P, \quad \Delta \omega = \frac{1}{b} \Delta P$$



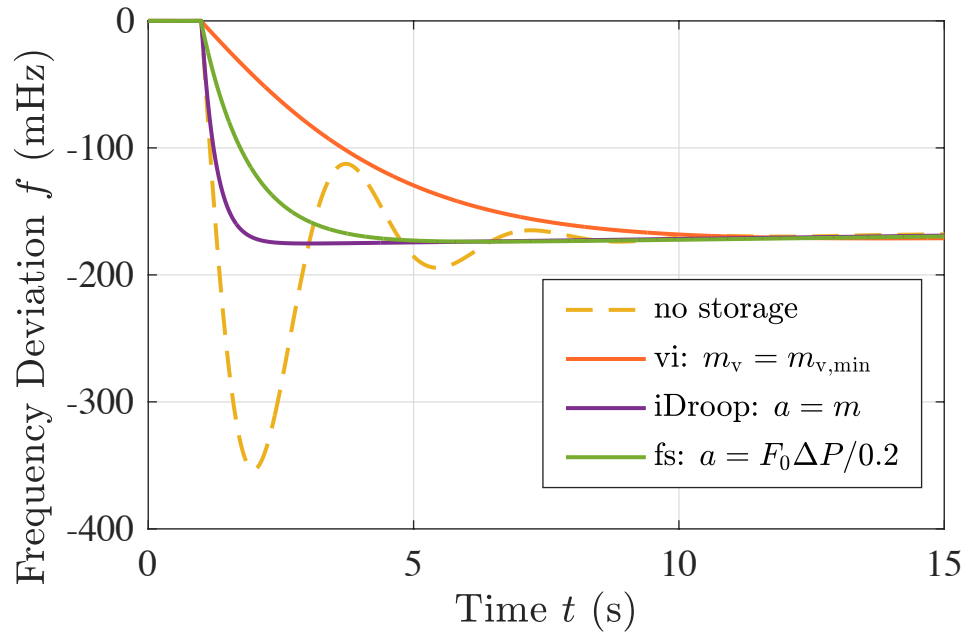


# Grid-shaping with GFL IBRs [TPS 21]



**Tunable Performance:**

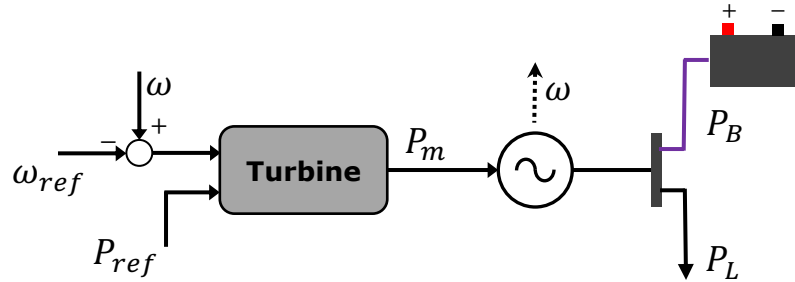
$$\text{RoCoF} = \frac{1}{a} \Delta P, \quad \Delta \omega = \frac{1}{b} \Delta P$$



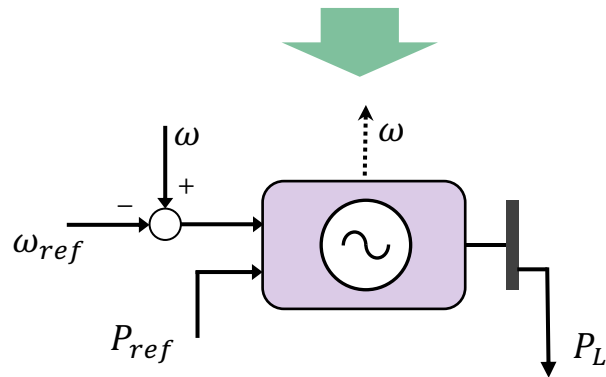
# Grid Shaping Control

## Use model matching control to shape SGs response

### Grid-following IBRs



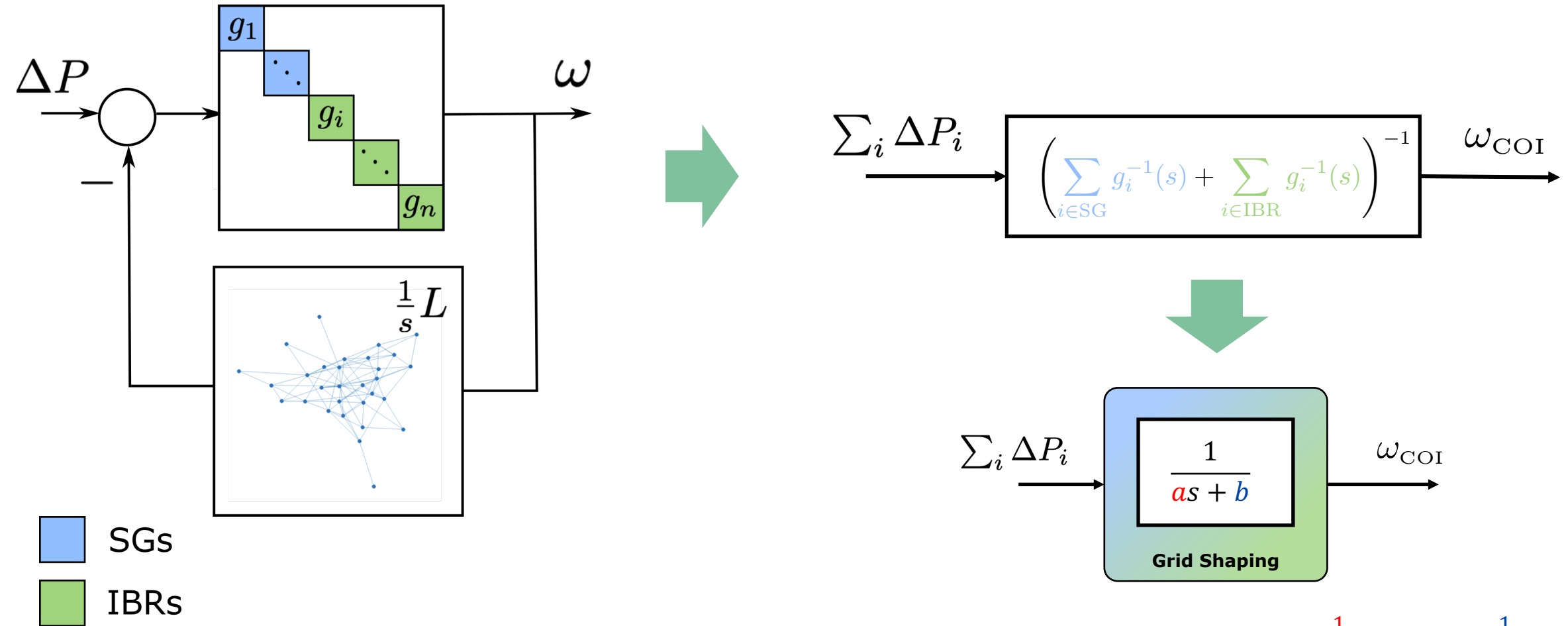
### Grid-forming IBRs



Tunable Performance:

$$\text{RoCoF} = \frac{1}{a} \Delta P, \quad \Delta \omega = \frac{1}{b} \Delta P$$

# Grid-shaping with GFM IBRs [LCSS 20]

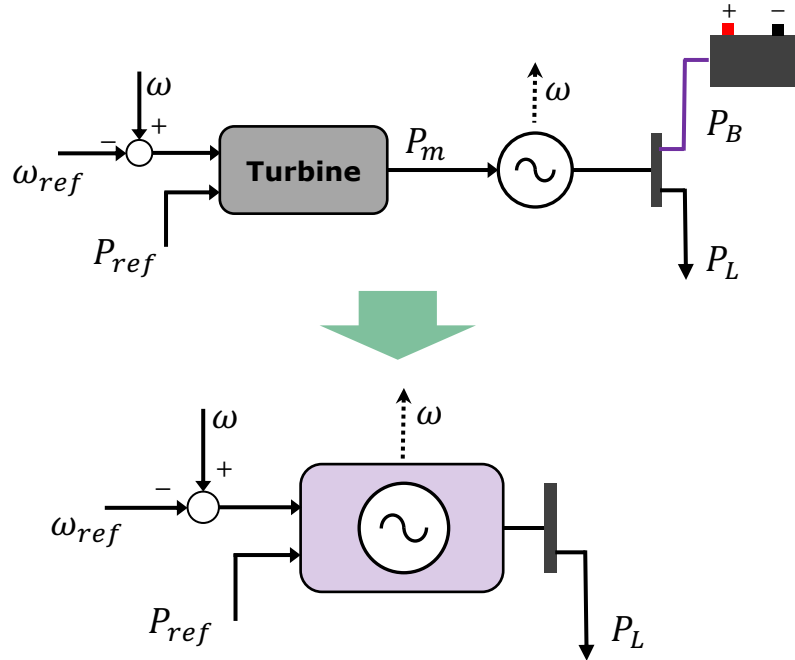


**Tunable Performance:**  $\text{RoCoF} = \frac{1}{a} \Delta P$ ,  $\Delta \omega = \frac{1}{b} \Delta P$

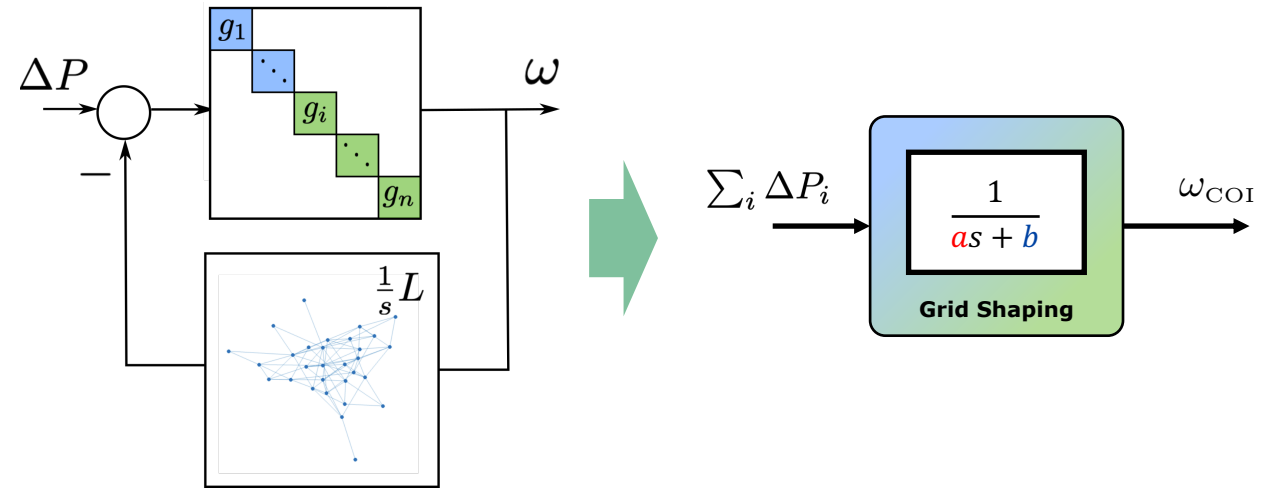
# Grid Shaping Control

## Use model matching control to shape SGs response

### Grid-following IBRs



### Grid-forming IBRs



Tunable Performance:  $RoCoF = \frac{1}{a} \Delta P$ ,  $\Delta\omega = \frac{1}{b} \Delta P$

# Summary

- Merits and trade-offs of low inertia
  - Control Perspective: Lighter systems are easier to control!
- Analysis of IBR-rich Coherent Networks
  - Generalized Center of Inertia captures IBR dynamics
- Grid Shaping Control
  - Grid-following/forming control framework for future grids

# Thanks!

---